

Effectiveness of Sterilized Foreign Exchange Intervention under Imperfect Financial Markets

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Sterilized FXI

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- selling (or buying) foreign reserves to control the movements of the exchange rate
- **a consequence:** decrease in the money supply, increase in the interest rates
- **sterilized** FXI solves this:
 - buying back (or selling) an equivalent amount of gov. issued bonds
 - keeps money supply and policy rate unchanged by intervention
 - changes the **composition of assets** held by banks

UIP

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In reality:

$$\Delta \mathbb{E}_t Q_{t+1} = r_t - r_t^* + \mu_t^* \quad (2)$$

A large literature on the UIP puzzle starting with [Fama, 1984], [Froot and Frankel, 1989]. . .
Violations of UIP matter for the implications of FXI on welfare!

Motivation

- Empirical literature finds sizable spillover effects of U.S. monetary shocks on EM variables
 - deviations from **u**ncovered **i**nterest **p**arity [Giovanni et al., 2017], [Kalemli-Özcan, 2019]

$$r_t - (r_t^* + \mathbb{E}_t\{\Delta Q_{t+1}\}) > 0 \text{ countercyclical, } \uparrow \text{ when US tightens}$$

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- The global financial cycle and amplifying effects of U.S. monetary shocks [Miranda-Agrippino and Rey, 2020], [Akinci et al., 2022]
- Widespread use of sterilized FXI in EMs [Fratzscher et al., 2019]
- Are the actions of policymakers justified? Is intervention effective?
 - **Theory:** Sterilized FXI has no real macroeconomic effects [Backus and Kehoe, 1988], [Gali and Monacelli, 2005]
 - **Practice:** Sterilized FXI common practice

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 - Reduced long term net exports
 - permanent fall in foreign reserves

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 - Reduced long term net exports
 - permanent fall in foreign reserves
 - (Spill-back) US incurs deeper recession (short run), US welfare loss (slightly)

The Model: Overview

- A New Keynesian 2-country Open-Economy model: Home (EM) and Foreign (US)
- **Home Agents:** Households, Capital Producers, Private Bank, Central Bank
- **Foreign Agents:** Households, Capital Producers, Central Bank (complete markets)
- Trade in goods and financial flows
- Prices sticky *a la Calvo*
- Home banks have a default risk agency friction and cross-border institution friction (θ_r, γ)
- Sterilized FXI in Home

Central Bank

- Foreign Reserve Accumulation
- Sterilization Equation
- Taylor Rule

Dollar Reserve Accumulation

The Home central bank accumulates foreign reserves as follows:

$$R_t^{\$} = (R_{t-1}^{\$})^{\eta} \left(\frac{1}{E_t^{\gamma_e}} \right)^{1-\eta}, \eta \in (0, 1)$$

where E_t is the nominal exchange rate, $R_t^{\$}$ dollar reserves held by the Home central bank.

η - the sensitivity of reserve levels to previous levels

γ_e - the response in reserve levels to nominal exchange rate

Sterilization

The Home central bank sterilizes changes in FXI, in real terms, as follows:

$$Q_t(R_t^{\$} - R_t^* R_{t-1}^{\$}) = S_t^b - R_t S_{t-1}^b$$

where Q_t is the real exchange rate (price of foreign currency), S_t^b is the sterilized bonds issued by the central bank to Home banks, and R_t^* real return rate on Foreign assets¹.

¹The return rates R_{t-1} and R_{t-1}^* are set at time $t - 1$ and are realized at time t

Taylor Rule

The central bank engages in a Taylor rule and sets the nominal interest rate, R^n with inflation targeting defined as follows:

$$R_{t+1}^n = (R_t^n)^{\gamma_r} (\beta^{-1} \pi_t^{\gamma_\pi})^{1-\gamma_r}$$

where γ_π is the response to producer price inflation, $\pi_t = \frac{P_{Ht}}{P_{Ht-1}}$.

Private Bank

- Balance Sheet
- Budget Constraint
- Agency Friction

Balance Sheet

The banks' Balance Sheet (BS) identity is:

$$q_t S_t + S_t^b = D_t + Q_t D_t^* + N_t$$

D_t - Deposits from Home households

D_t^* - Deposits from Foreign households

q_t - price of capital

N_t - Bank's Net Worth

S_t - Capital Purchases financed by the bank

Budget Constraint

The budget constraint (BC), in real domestic currency:

$$q_t S_t + S_t^b + R_t D_{t-1} + R_t^* Q_t D_{t-1}^* \leq R_{Kt} q_{t-1} S_{t-1} + R_t S_{t-1}^b + D_t + Q_t D_t^*$$

where the left-hand side is banks' uses of funds and the right-hand side is the banks' source of funds.

R_t - Home real interest rate

R_t^* - Foreign real interest rate

R_{Kt} - real return on capital assets

Agency Friction

- **Moral Hazard** [Gertler and Kiyotaki, 2010] after issuing deposits in period t , bank chooses to
 - operate honestly: meet deposit obligations at time $t + 1$ or
 - divert funds for personal use
- if divert, bank obtains:

$$\theta_r (D_t + (1 + \gamma)Q_t D_t^*)$$

and creditors force bankruptcy in $t + 1$ and recover remaining funds

- $\gamma > 0$: foreign loans harder to enforce than domestic loans
- θ_r : exogenous default risk prob.

- endogenous net worth evolution

$$N_t = (R_{Kt} - R_t)q_{t-1}S_{t-1} + \left(R_t - R_t^* \frac{Q_t}{Q_{t-1}}\right)Q_{t-1}D_{t-1}^* + R_t N_{t-1} \quad (3)$$

- s.t. incentive compatibility (IC)

$$N_t \geq \Theta(x_t)(q_t S_t + S_t^b)$$

$$x_t = \frac{Q_t D_t^*}{q_t S_t + S_t^b}$$

$\Lambda_{t,t+1}$ = household's SDF

$$\Theta(x_t) = \theta_r \left(1 + \frac{\gamma}{2} x_t^2\right)$$

- Defining the credit and UIP spread ²

$$\mu_t = \mathbb{E}_t [\Lambda_{t,t+1} \Omega_{t+1} (R_{Kt+1} - R_{t+1})] \quad (4)$$

$$\mu_t^* = \mathbb{E}_t \left[\Lambda_{t,t+1} \Omega_{t+1} \left(R_{t+1} - R_{t+1}^* \frac{Q_{t+1}}{Q_t} \right) \right] \quad (5)$$

- Optimal solution when (IC) binds:

$$\mu_t^* = y_t \mu_t \left(\frac{\Theta(x_t)}{\Theta'(x_t)} - x_t \right)^{-1}$$

μ_t^* - UIP spread

μ_t - Credit spread

y_t - Asset choice in capital

$$= \frac{q_t S_t}{q_t S_t + S_t^b}$$

² $\Lambda_{t,t+1} \Omega_{t+1}$ is the augmented SDF accounting for the marginal value of funds.

Market Clearing, BOP

- Market clearing for home good:

$$Y = (C_H + I_H) + \frac{1-n}{n}(C_H^* + I_H^*) + \frac{\psi_I}{2} \left(\frac{I_t}{I_{t-1}} - 1 \right)^2 I_t$$

- Evolution of capital stock:

$$\begin{aligned} K_{t+1} &= (1 - \delta)K_t + I_t \\ &= S_t \end{aligned}$$

- Balance of payments (BOP):

$$Q_t(D_t^* - R_t^*D_{t-1}^* - (R_t^\$ - R_t^*R_{t-1}^\$)) = C_t + I_t + \rho_H \frac{\psi_I}{2} \left(\frac{I_t}{I_{t-1}} - 1 \right)^2 I_t - \rho_H Y_t$$

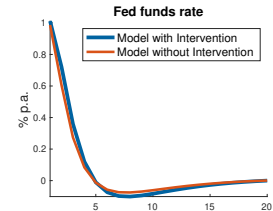
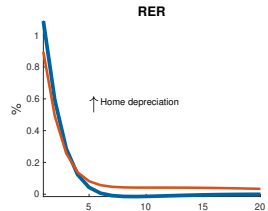
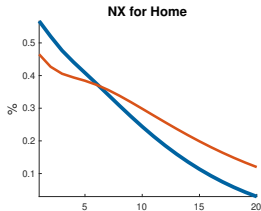
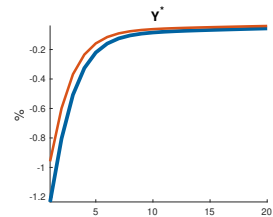
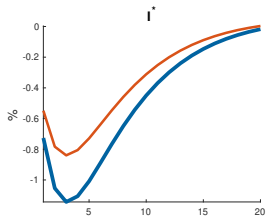
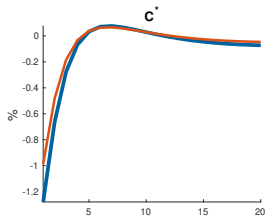
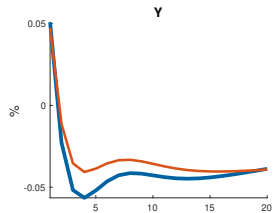
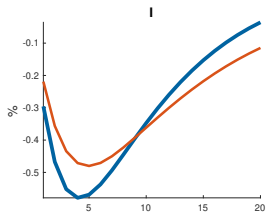
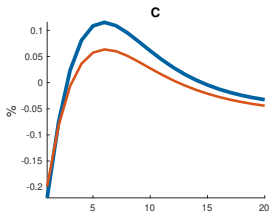
▶ capital producers

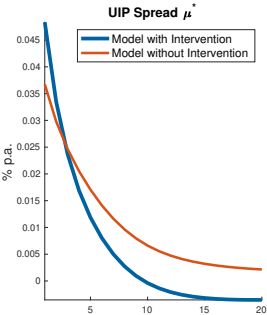
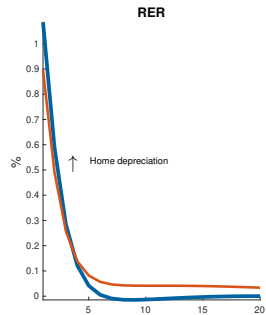
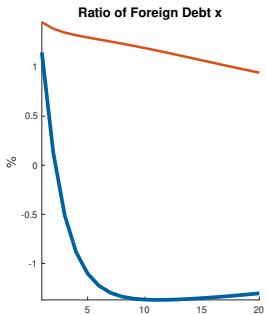
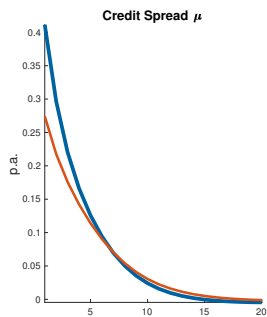
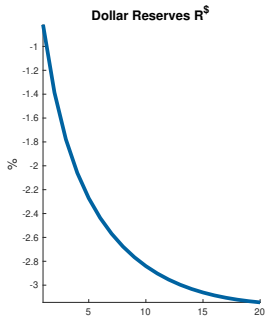
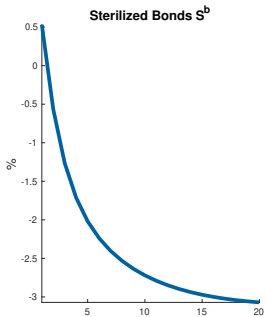
Assumptions

- financial market segmentation that violates the UIP
- banks forced to hold sterilized bonds (e.g. a reserve requirement)
- $\beta < \beta^*$: US more patient (incentive to invest overseas)
- $\gamma > 0$: financial contracts less enforceable across borders

▶ calibration

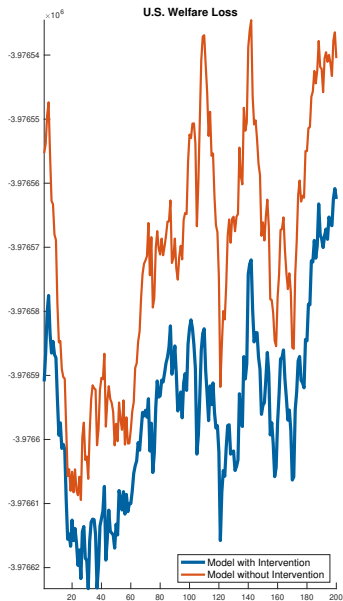
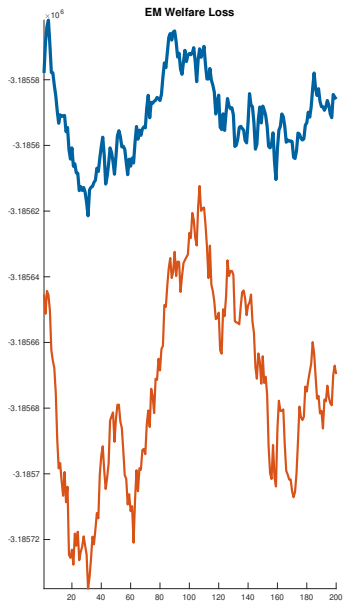
Simulations and Results





What about Welfare Implications?

$$W_t = \frac{C_t^{1-\sigma}}{1-\sigma} - \chi_0 \frac{L_t^{1+\chi}}{1+\chi} + \beta W_{t+1} \quad (6)$$



Next Steps

- dominant currency pricing (DCP), turning off the expenditure switching channel

Capital Producers

The representative capital producer solves:

$$\max_{\{l_{t+j}\}_{j=0}^{\infty}} \mathbb{E}_t \left\{ \sum_{j=0}^{\infty} \Lambda_{t,t+j} \left[q_{t+j} l_{t+j} - \frac{P_{Ht+j}}{P_{t+j}} \phi_{lt+j} \right] \right\}$$

where

$$\phi_{lt} = \frac{\psi_l}{2} \left(\frac{l_t}{l_{t-1}} - 1 \right)^2 l_t$$
$$l = \left[\omega^{\frac{1}{\theta}} l_H^{\frac{\theta-1}{\theta}} + (1-\omega)^{\frac{1}{\theta}} l_F^{\frac{\theta-1}{\theta}} \right]^{\frac{\theta}{\theta-1}}$$

Calibration

| Parameter | Description | Value | |
|------------|---|----------|---|
| α | output elasticity of capital | 0.33 | |
| β | Home consumer's discount rate | 0.9970 | |
| β^* | Foreign consumer's discount rate | 0.9975 | |
| χ | inverse labor supply elasticity | 3.79 | Justiniano et al. '10 |
| δ | capital depreciation rate | 0.025 | |
| η | \$ reserve inflexibility to nominal exchange rate | 0.82 | |
| γ | Home bias in bank funding | 2.58 | Akinci-Queralto '18 |
| γ_e | response in reserve accumulation to nominal exchange rate | 2.09 | |
| γ^z | response in taylor rule to inflation | 2.09 | |
| γ_r | Foreign Taylor rule inertia coefficient | 0.82 | Justiniano et al. '10 |
| n | Home country size ratio | 1/3 | |
| ω | weight given to Home good in Home consumption | 0.80 | Akinci-Queralto '18, Blanchard et al. '16 |
| ω^* | weight given to Home good in Foreign consumption | 0.20/3 | Akinci-Queralto '18, Blanchard et al. '16 |
| ψ_I | investment adjustment cost | 2.85 | Justiniano et al. '10 |
| ρ_r | persistence of Foreign monetary shock | 0.25 | Akinci-Queralto '18 |
| σ | inverse elasticity of substitution | 1.00 | |
| σ_b | banks' survival rate | 0.95 | Akinci-Queralto '18 |
| σ_r | standard deviation of Foreign monetary shock | 0.20/100 | Akinci-Queralto '18 |
| θ | trade price elasticity | 0.90 | |
| θ_p | net price markup | 0.20 | |
| θ_r | banks' default probability | 0.41 | Akinci-Queralto '18 |
| ξ_b | transfer rate to entering banks | 0.07 | Akinci-Queralto '18 |
| ξ_p | price stickiness | 0.84 | Justiniano et al. '10 |

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